

Ratio and Proportion

By David Pleacher

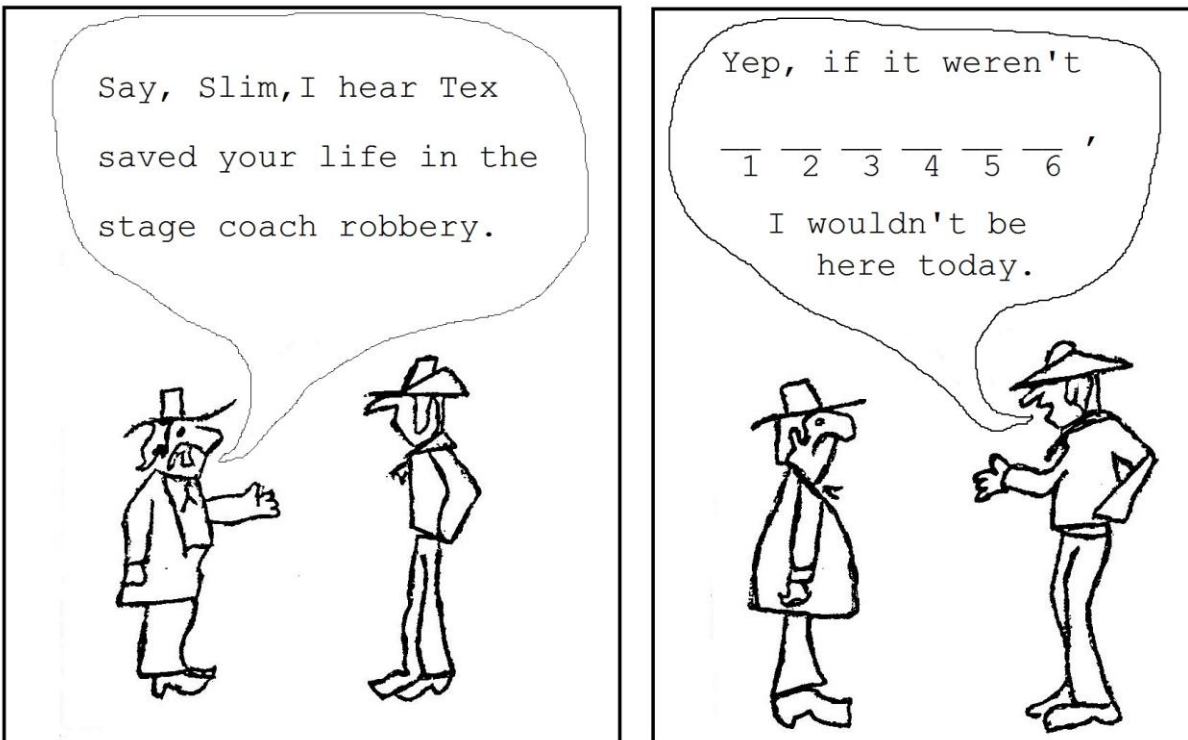
Directions:

First solve the 22 problems below and find the matching letters for numbers 1 to 17.

Then unscramble the letters in each of the six words to form a math word.

Place the math words in the appropriate boxes.

The letter in the box with a 2 in it will be the second letter in the cartoon below.



FIRST WORD

- I. Determine the ratio of 40 minutes to 3 hours.
- II. Determine the ratio of $10x$ to $8x$.
- III. If $AB = 10$ and $AC = 2$ and $AC + CB = AB$, Determine the ratio of $CB : BA$.
- IV. Determine x if $4/x = 2/7$.

SECOND WORD

V. Determine the value of x if $\frac{x+1}{x+4} = \frac{2}{3}$

VI. The angles of a triangle are in the ratio of 1 : 5 : 6. Determine the measure of the smallest angle.

VII. Simplify the following ratio: $\frac{x^2 - 9}{x^2 - 2x - 3}$

VIII. Determine the ratio of x to y if $2x = 9y$.

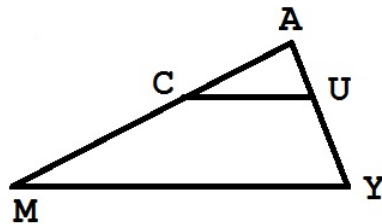
IX - X. If $\frac{3}{x} = \frac{y}{16} = \frac{1}{4}$,

IX. Determine the value of x .

X. Determine the value of y .

THIRD WORD

XI - XIV. $\overline{CU} \parallel \overline{MY}$



XI. If $AC = 3$, $CM = 5$, $AU = 12$, Determine UY .

XII. If $AC = 2$, $AM = 5$, $UY = 9$, Determine AU .

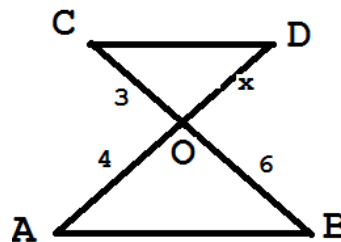
XIII. If $CM = 7$, $AU = 15$, $UY = 35$, Determine AC .

XIV. If $MC = 10$, $AC = 8$, $AU = 4$, Determine AY .

XV. Determine the ratio of x to y if $\frac{x}{2} = \frac{y}{5}$.

XVI. The perimeters of two similar polygons are 24 inches and 60 inches. If one side of the smaller polygon is 4 inches, what is the length of the corresponding side of the larger polygon?

XVII. Given: $\triangle AOB \sim \triangle DOC$
Find x



FOURTH WORD
LITRAVEC

FIFTH WORD
GELAN

SIXTH WORD
QURSEA

1st word

			2
--	--	--	---

2nd word

			4		
--	--	--	---	--	--

3rd word

		6				
--	--	---	--	--	--	--

4th word

1							
---	--	--	--	--	--	--	--

5th word

				5
--	--	--	--	---

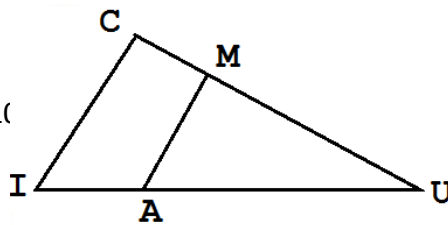
6th word

				3	
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Given: $\triangle ICU \sim \triangle AMU$

XVIII. If $CM=3$, $MU=7$, and $AU=10$

Then $IU = ?$



XIX.

If $\triangle AMY \sim \triangle STP$

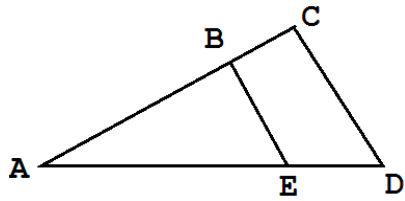
Then $\frac{AM}{MY} = \frac{MY}{SP}$

XX. Express $x^2 = a b$ as a proportion.

XXI.

Given: $\overline{BE} \parallel \overline{CD}$

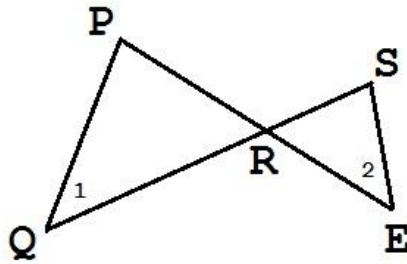
Prove: $\triangle ABE \sim \triangle ACD$



XXII.

Given: $\angle 1 \cong \angle 2$

Prove: $\frac{PR}{RS} = \frac{PQ}{SE}$



ANSWERS:

A. 6

I. $\frac{5}{4}$

C. $\frac{x-3}{x-1}$

L. $\frac{4}{5}$

C. 4

N. 3

E. $\frac{2}{5}$

N. $\frac{2}{9}$

E. 12

N. $\frac{x+3}{x+1}$

E. 14

O. 2

E. 15

R. $\frac{9}{2}$

G. 20

T. 5

H. 10

X. 9